

BACKGROUND

MONTE CARLO SIMULATION

- Computational technique used to estimate the probability of different outcomes in a process that involves variables that change by random amounts.
- Used where the underlying system is too complex to be solved analytically
- Has applications in civil engineering (ie. Strain demand in pipes subjected to ground movement [1])
- **However, computationally heavy and slow**

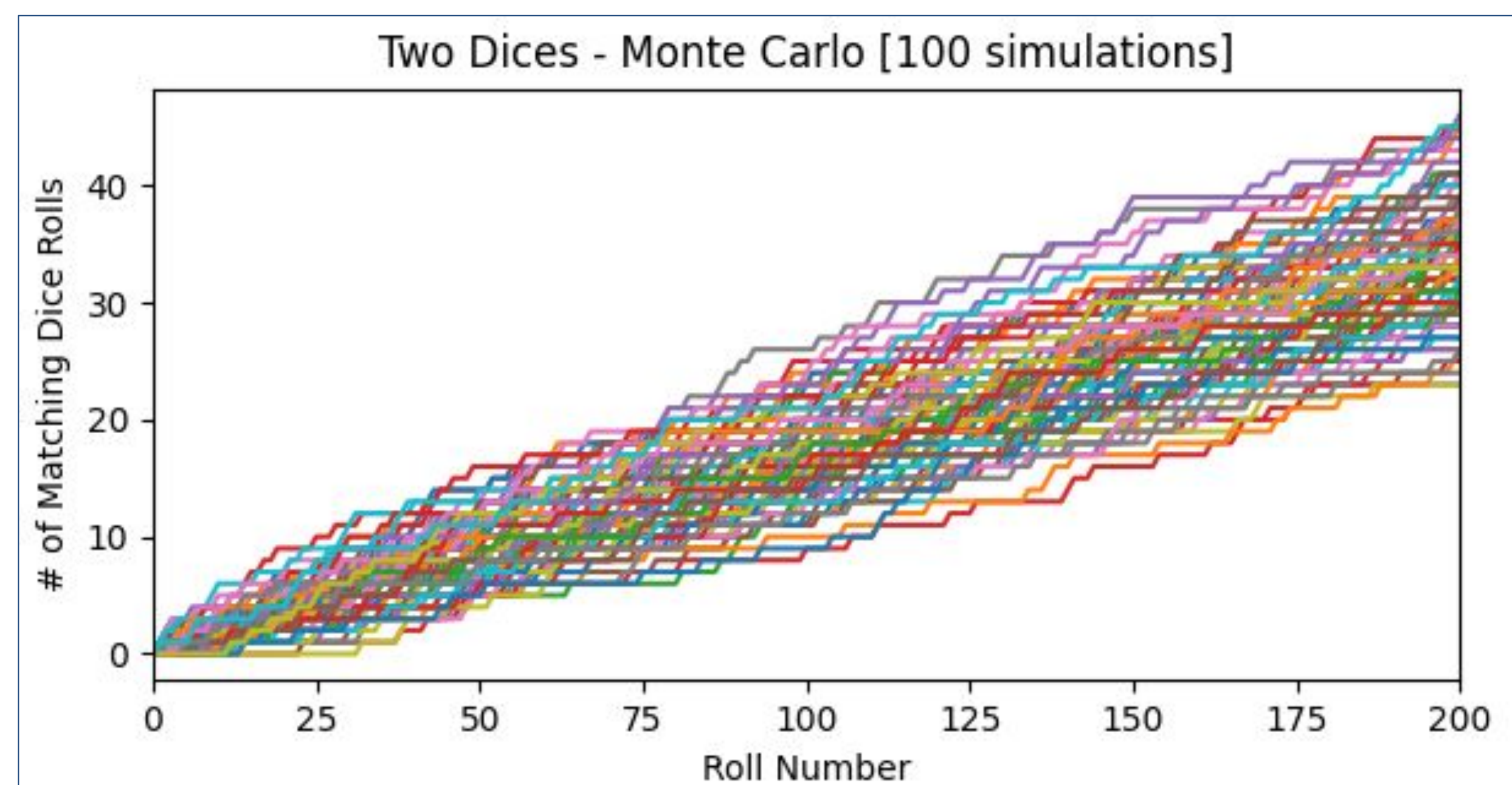


Figure 1: Graph of Monte Carlo Simulation results adapted from [2]. This graph illustrates the number of matching dice rolls in 100 sets of 200 consecutive rolls.

PARALLEL COMPUTING

MULTIPROCESSING

- Can significantly reduce the computation time of Monte Carlo Simulations
- One way of achieving parallelism through using multiple CPU cores for processing
- Supported on MecSimCalc with multiple virtual CPUs

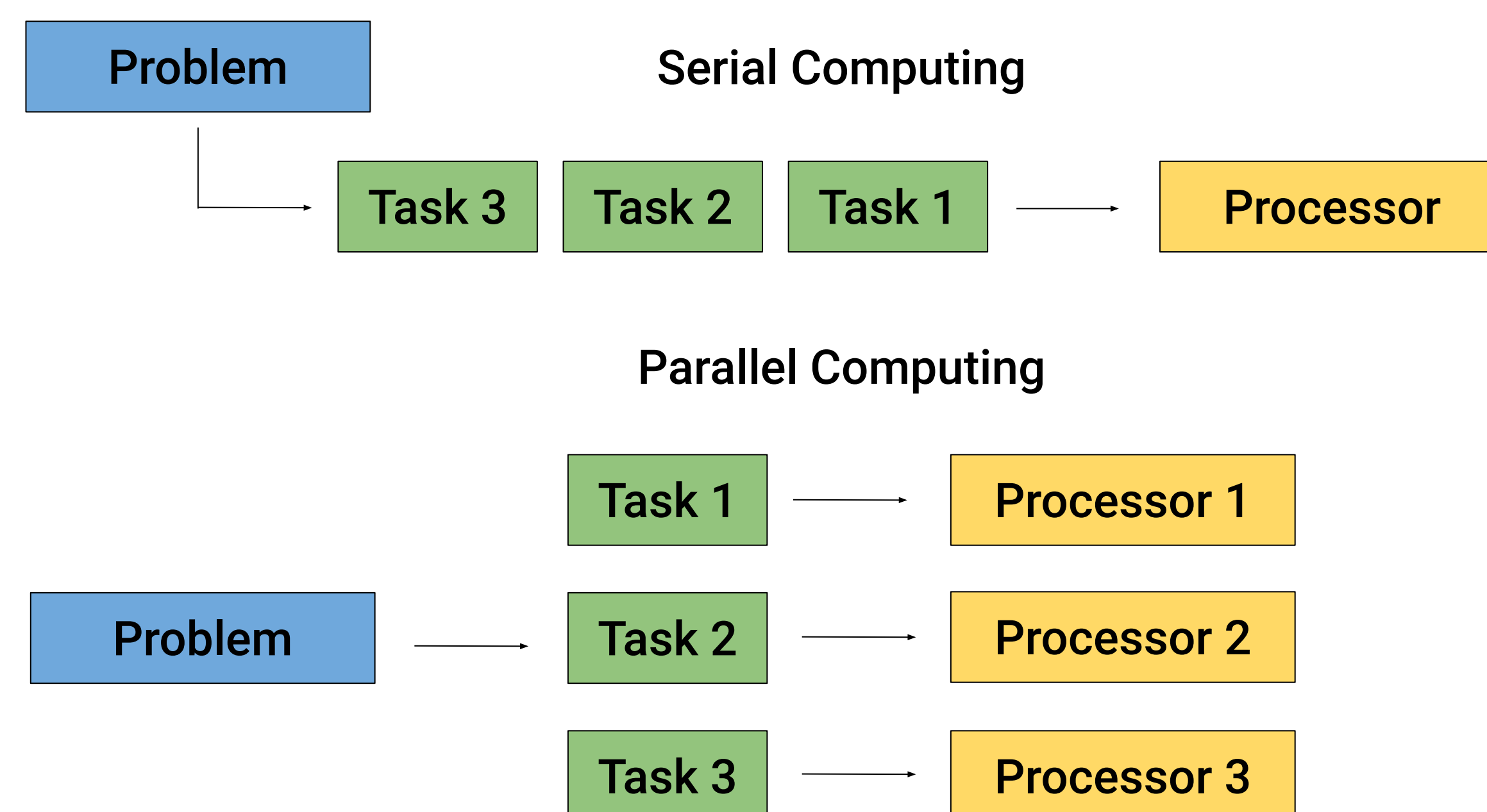


Figure 2: Diagram comparing serial computing and parallel computing

OBJECTIVES

- Develop a procedure to implement multiprocessing on pre-existing Monte Carlo simulations in Python
- Assess the impact of multiprocessing on Monte Carlo simulation execution time
- Evaluate the cost feasibility of multiprocessing on MecSimCalc

METHOD

IMPLEMENTING MULTIPROCESSING

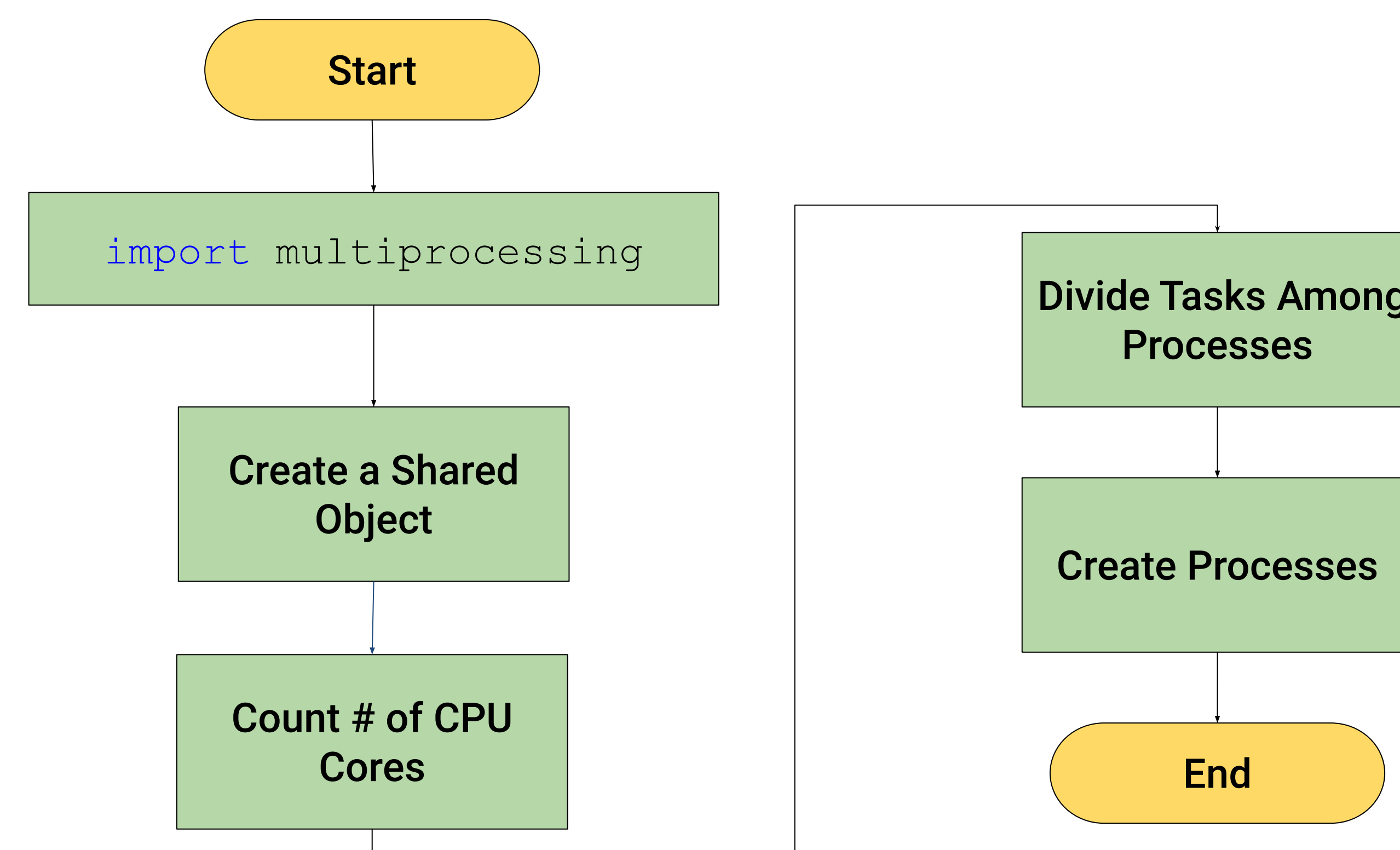


Figure 3: Flowchart of multiprocessing implementation in Python on MecSimCalc.

1. Modularize the Program

Arrange the program into functions so there is one function that runs the simulation. This will make it easier to implement multiprocessing.

1. Import the Multiprocessing Module

```
import multiprocessing
```

1. Create a Shared Object

An object with shared memory between the processes will be required to store any function return data. This is done using the manager object from the multiprocessing module.

```
def main(inputs):
    ### Other Code
    manager = mp.Manager() # This is case-sensitive
    data = manager.list()
    ### Other Code
```

1. Count the Number of CPU Cores

```
def main(inputs):
    ### Other Code
    num_cores = multiprocessing.cpu_count()
    ### Other Code
```

1. Divide Tasks Among Each Process

```
def main(inputs):
    ### Other Code
    num_processes = num_cores # num_processes can also be a manually chosen int
    simulations_per_process = num_simulations // num_processes # Floor divide the tasks into
    each process
    remainder = num_simulations % num_processes # Determine the remainder if there is one
    ### Other Code
```

1. Create the Processes

```
def main(inputs):
    ### Other Code
    processes = []
    for i in range(num_processes):
        # Create the process
        if i < remainder:
            p = mp.Process(target=simulation, args=(simulations_per_process+1,
            simulation_args))
            # Add another simulation for each remainder found in step 5
        else:
            p = mp.Process(target=simulation, args=(simulations_per_process,
            simulation_args))
        processes.append(p) # Add the process to the list of processes
        p.start() # Starts the process

    for p in processes:
        p.join()
        # This waits for other processes to finish executing before continuing
    ### Other Code
```

RESULTS

PROGRAM EXECUTION TIMES

Table 1: Relationship between # of CPU cores and execution time and cost of sequential and multiprocessed Monte Carlo simulation for 1,000 iterations.

Cores	Sequential (s)		Multiprocessed (s)	
	Time (s)	Cost (USD)	Time (s)	Cost (USD)
2	1292.293322	0.11	1201.466	0.11
4	1312.954062	0.18	636.8041	0.09
8	1257.982531	0.28	315.3643	0.09
16	1296.069194	0.58	132.832	0.08

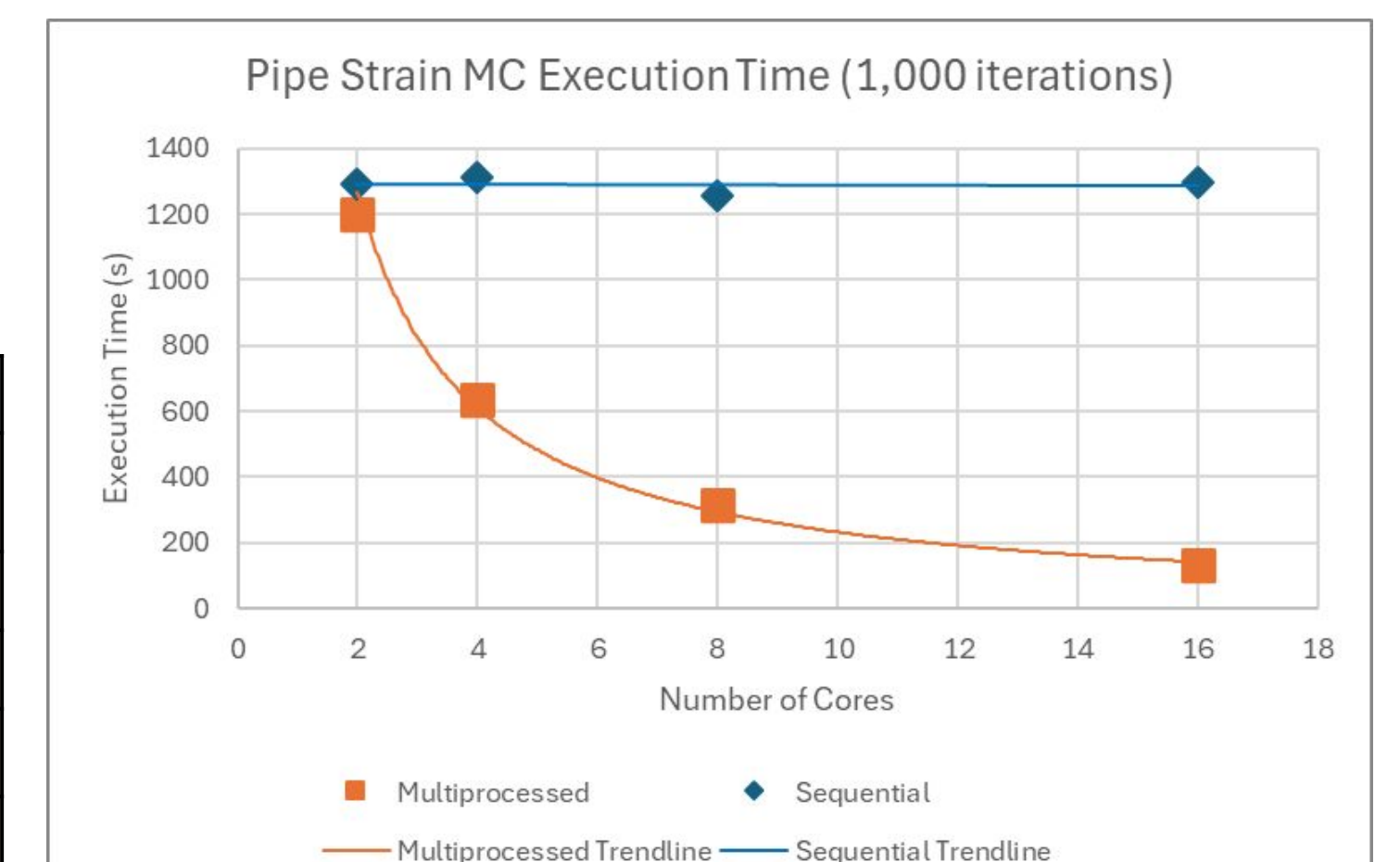


Figure 4: Graph comparing # of CPU cores to execution time for a complex Monte Carlo simulation with 1,000 iterations using code adapted from [1].

Table 2: Relationship between # of CPU cores and execution time and cost of sequential and multiprocessed Monte Carlo simulation for 10,000 iterations.

Cores	Sequential (s)		Multiprocessed (s)	
	Time (s)	Cost (USD)	Time (s)	Cost (USD)
2	12820.36506	1.03	12504.90866	1.02
4	12946.5503	1.97	6542.589321	1.04
8	12937.67383	2.99	3218.02439	0.82
16	12999.22588	4.78	1605.587904	0.71

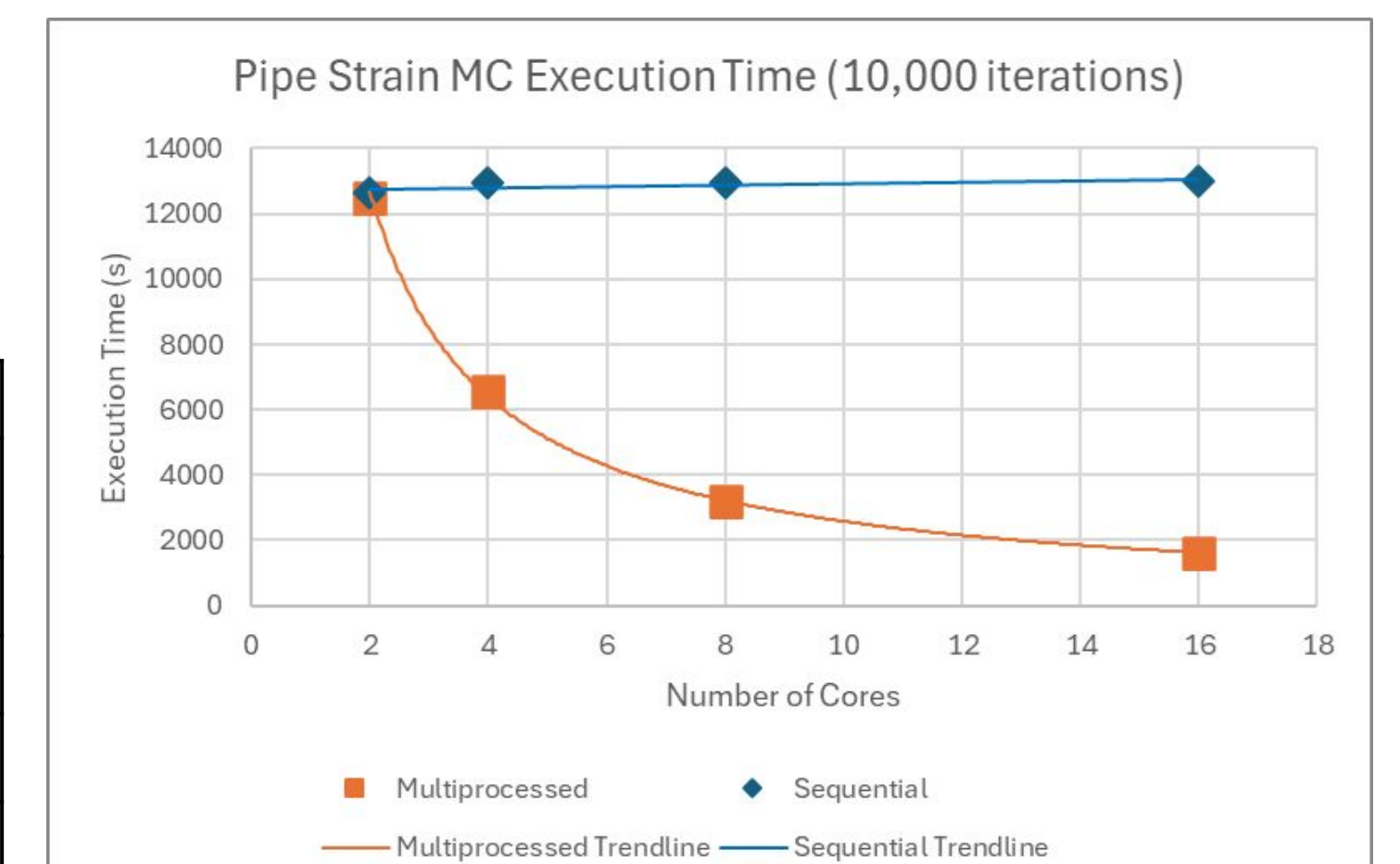


Figure 5: Graph comparing # of CPU cores to execution time for a complex Monte Carlo simulation with 10,000 iterations using code adapted from [1].

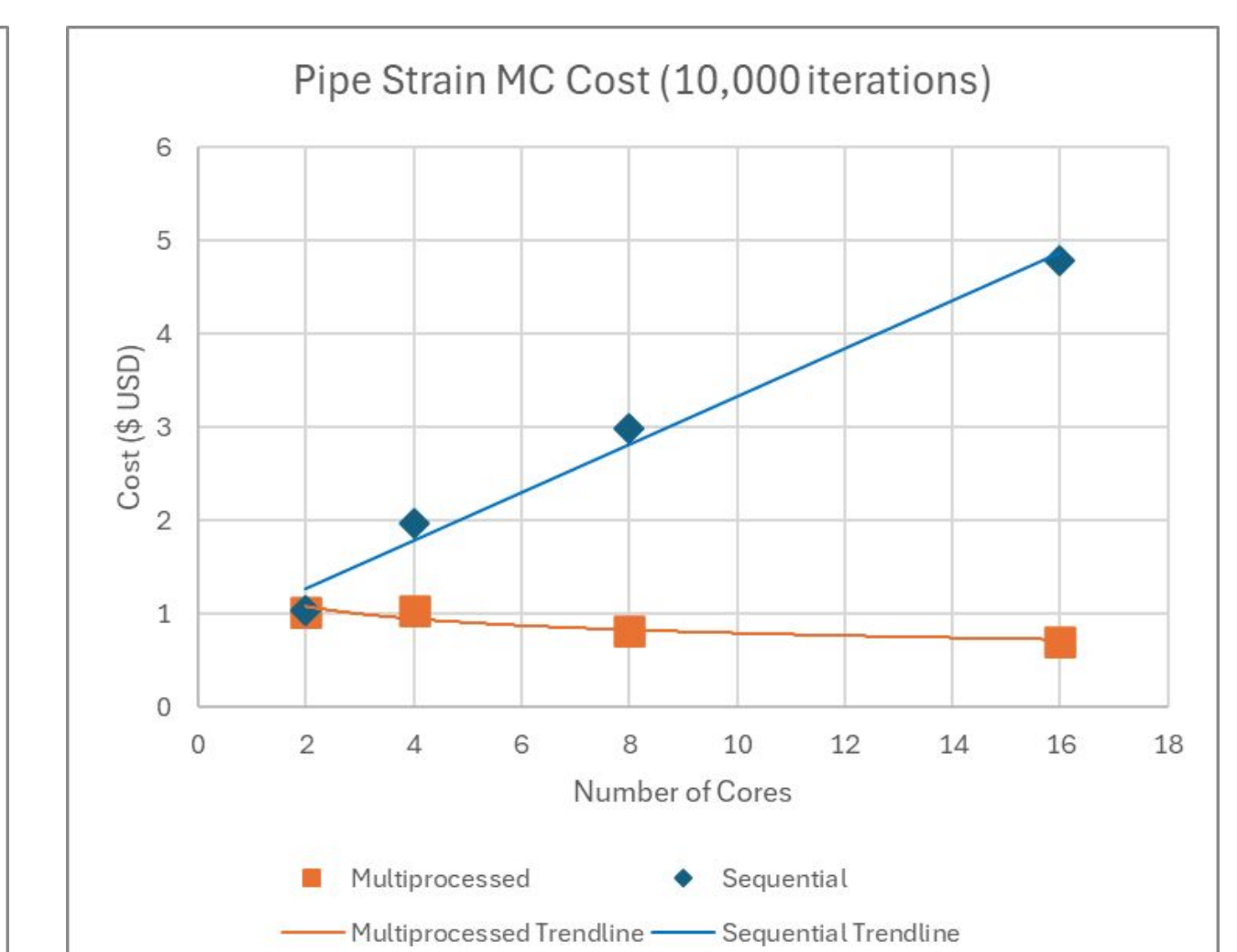
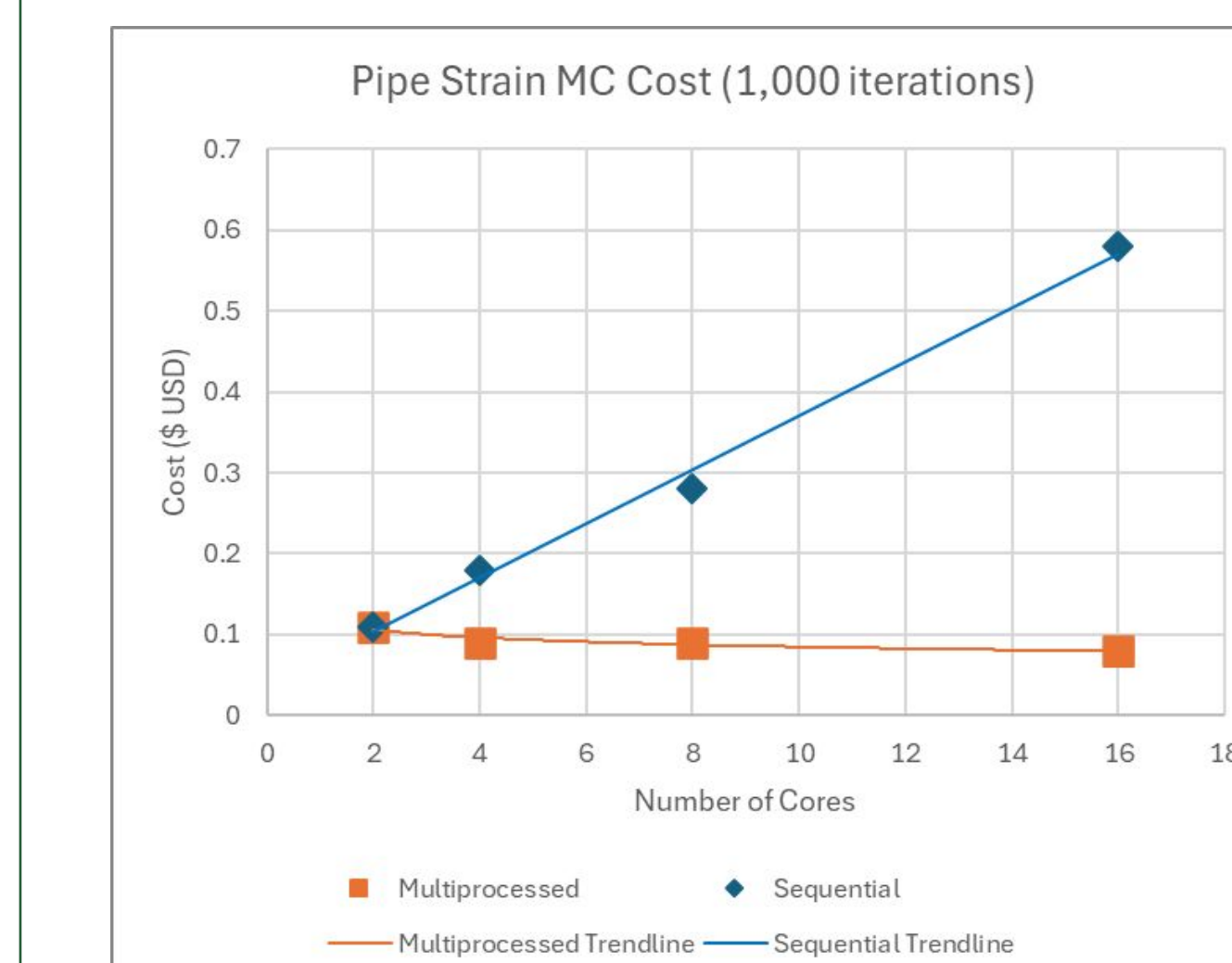


Figure 6 & 7: Graph comparing # of CPU cores to cost for a complex Monte Carlo simulation with 1,000 and 10,000 iterations using code adapted from [1].

CONCLUSION

The ratio of execution time between multiprocessed and sequential computations remains constant regardless of the number of iterations. In the results, the multiprocessed approach takes approximately 10% of the sequential execution time when using 16 CPU cores.

Additionally,, running the multiprocessed program with 16 cores is more cost-effective compared to using fewer cores or running sequentially with just 2 cores. Despite the higher cost per unit time, the speed of 16 cores in parallel makes this the most cost-effective and time-efficient choice.

Implementing multiprocessing is essential for efficiently executing long and computationally heavy Monte Carlo simulations, a task that would not be practical otherwise.

[1] Q. Zheng, "Stress- and Strain-Based Reliability Assessment of Pipelines Subjected to Internal Pressure and Permanent Ground Movement," Ph.D. Thesis, Department of Civil and Environmental Engineering, University of Alberta, Edmonton, 2023.

[2] J. Matthew, "An introduction to Monte Carlo simulations using Python," Medium, Oct. 14, 2023. <https://medium.com/@matthew1992/an-introduction-to-monte-carlo-simulations-using-python-46c07eb11b6d> (accessed Mar. 20, 2024).